

Material susceptibility to suffusion: from a hydro mechanical characterization to the numerical simulation

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Main conditions for suffusion onset

Venn diagram (Garner & Fannin, 2010)



- size of the fine particles < size of the constrictions ٠
- volume of fine particles < volume of voids •
- flow velocity must be high enough •

(Fell & Fry, 2013)

Whole development, complex process





→ Hydraulic loading & soil responses coupled







 \rightarrow No initiation of suffusion







To prevent an underestimation of the erodibility

→ Test under multi-staged hydraulic gradients

Stable state **→** eroded state





Different suffusion developments according to the applied hydraulic loading path

→ how to **model** the hydraulic loading ?



Constant hydraulic gradient i

Auto filtration

→ low velocity and low erosion

So **velocity** could model the hydraulic load

→ v, i: both have to be considered by the power

Analogy: current and electric voltage

Both are used to model the electrical bias

by the computation of the **power**

No expended energy \rightarrow no expended \in



Constant velocity v

Preferential flow paths

→ Low i and low erosion

➔ Same velocity but different rates of erosion



Energy based method

Power expended by interstitial seepage flow which can induce suffusion power transferred from fluid to solid particles: negligible

Sibille et al., (2015). Internal erosion in granular media: direct numerical simulations and energy interpretation. Hydrological Processes, Vol. 29, Issue 9, 2149-2163)

$$P_{\rm flow} = \left(\gamma_{\rm w} \, \Delta z + \Delta P \right) \, Q = \gamma_{\rm w} \, \Delta h \, Q$$

Hydraulic loading path

Expended energy

$$E_{flow} = \sum P(t) \Delta t$$

At the stable state

Erosion resistance index



Marot D., Rochim A., Nguyen H.H., Bendahmane F., Sibille L. (2016). Assessing the susceptibility of gap graded soils to internal erosion: proposition of a new experimental methodology. Nat. Hazards, 83(1): 365-388. DOI 10.1007/s11069-016-2319-8.



Triaxial erodimeter: specimen length 50-100mm





Zhong C. et al. (2018). Comparison of erodimeters and interpretative methods for suffusion susceptibility characterization. Journal of Geotechnical and Geoenvironmental Engineering (ASCE), 144(9): 04018067.

 \rightarrow I_a appears intrinsic, at the time and spatial scales tested in laboratory



9 physical parameters easy to measure \rightarrow estimation of I_a

➔ optimization of soil characterization

Localization of « weaker » zones in relative

Le V.T. et al. (2018). Suffusion susceptibility investigation by energy based method and statistical analysis Canadian Geotechnical Journal. 55(1), pp 57-68

8 zones have a larger suffusion potential in relative to the rest of the structure

$$I_{\alpha}$$
 < 6,95 and P_{flow} > 1.4 10⁻³ W

Zhang et al. (2018). A method to assess the suffusion susceptibility of core soils in zoned dams based on construction data. European Journal of Environmental and Civil Engineering, 23(5), pp 626-644

At a given time, no information about the kinetics





Model Introduction

Results

Perspective



For the kinetics: erosion law

$$\frac{\overline{m}_{cum}(t) - \overline{m}_{sat}}{\overline{m}_{max} - \overline{m}_{sat}} = \left(\frac{\overline{E}_{cum}(t)}{\overline{E}_{max}}\right)^{b(t)}$$

- \overline{m}_{max} and \overline{E}_{max} are constants
- \overline{m}_{sat} is an initial value
- -b(t) is a parameter that describes the kinetics
- b(t) < 1 : rapid suffusion
- b(t) > 1 : slow suffusion



 $\overline{m}_{max} = 10^{-I_{\alpha}} \overline{E}_{max}$

$$\boldsymbol{b}(t, t_{smoothed}) = \frac{\overline{P}_{smoothed}(t, t_{smoothed})}{\overline{P}_{flow}(t)}$$



Introduction Model Results Perspective



Time evolution of eroded mass



Kodieh et al. (2020). A study of suffusion kinetics inspired from experimental data: comparison of three different approaches. Acta Geotechnica. DOI: 10.1007/s11440-020-01016-5





Spatial distribution of the variation of the percentage of fines after suffusion



Gelet et al. (submitted). Analysis of suffusion in cohesionless soils: model, experiments and simulations



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Influence of hydraulic loadings

which reflect better on-site hydraulic loadings

Influence of mechanical states

Soil's mechanical behavior

Numerical part: presentation of Q. Rousseau

Experimental benchmark

in partnership with



J. Fannin





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